

Zone Plate Virtual Lenses for Memory-Constrained NLOS Imaging

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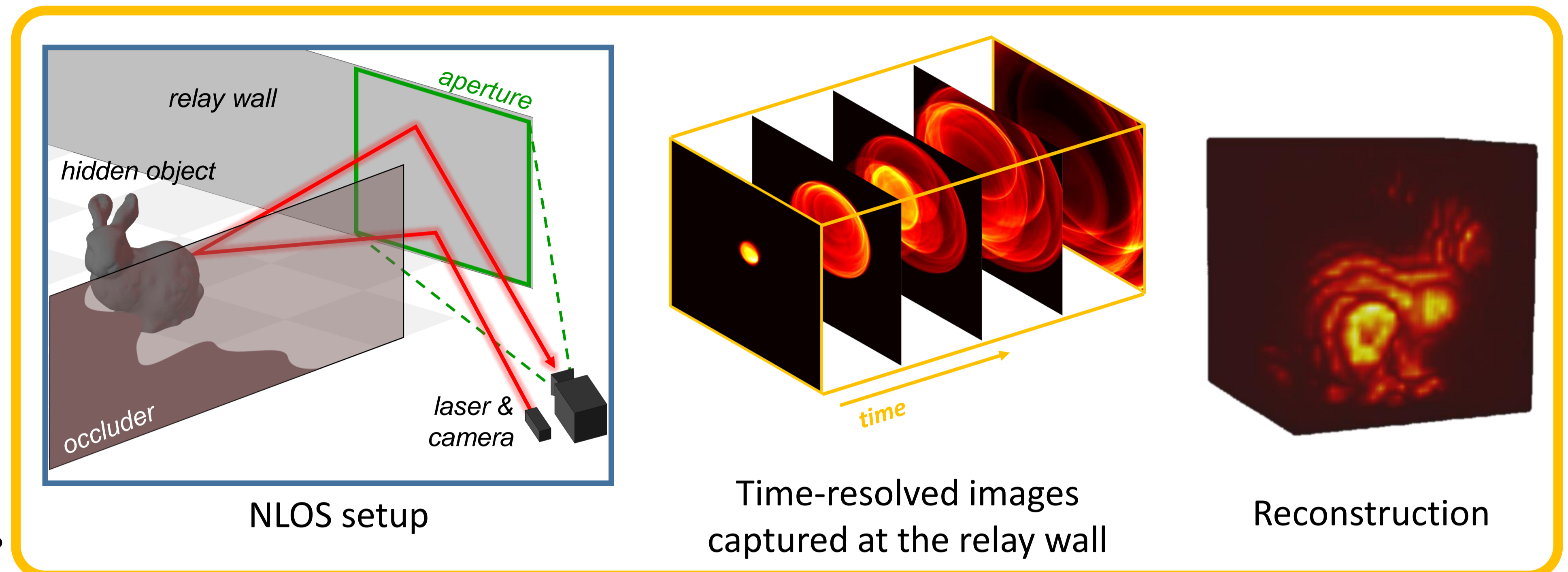
- **Non-line-of-sight (NLOS) imaging** exploits the transient imaging [1] to capture the indirect light of an occluded scene using a relay wall to look around a corner.
- The **Phasor Fields formulation** [2] reconstructs the hidden scene employing the Rayleigh-Sommerfeld diffraction (RSD) integral, whose most efficient implementations for parallel planes [3] are **heavy in memory**.

We look around corners reconstructing a hidden scene employing **virtual zone plates** that require up to **16 times less memory** if compared to previous approaches.

Time-resolved NLOS imaging

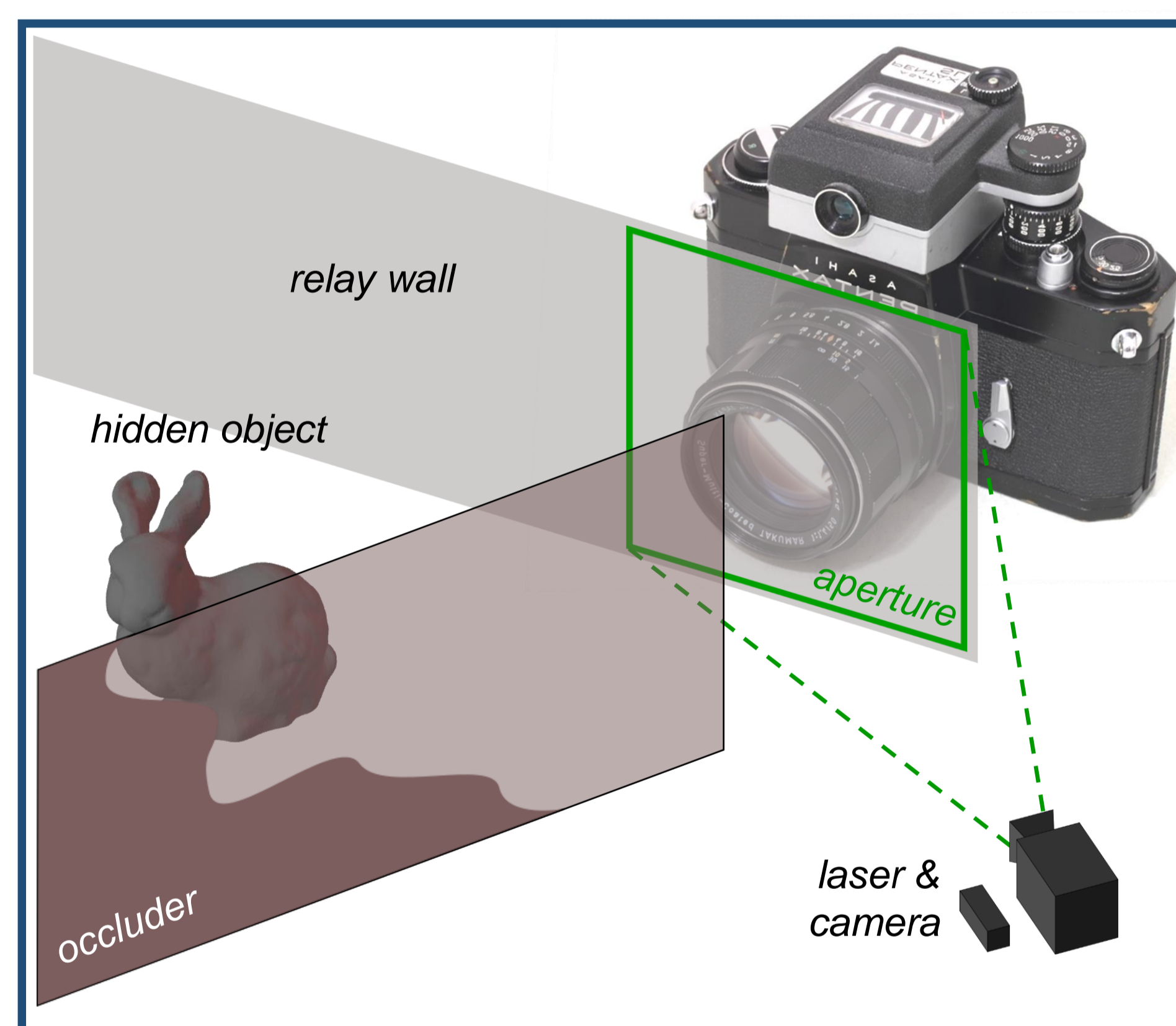
Transient imaging allows for capturing the light at **high temporal resolutions** [1] where the speed of light is not infinite. By illuminating and capturing a relay wall, it is possible to obtain **time-resolved images** from the **indirect light of the hidden scene**. There exists **non-line-of-sight (NLOS) imaging methods** to obtain 3D reconstructions from this signal.

Overview of the NLOS pipeline



Phasor Fields and virtual focusing

Phasor Fields formulation transforms the time-resolved images into **virtual wavefronts**. Thus, focusing operators from the line-of-sight (LOS) field can be used to reconstruct (e.g. RSD). **We propose a propagation based on the zone-plates (ZP)** to bring an approximate focus of a hidden scene.



Phasor Fields formulation

Results

Scene	RSD-based kernel (1 GB)	trimmed RSD-based kernel (64 MB)	Our ZP-based kernel (64 MB)
R			
Chair			
NLOS			
NLOS			
NLOS			
NLOS			

Future work: to apply operators based on **other lenses** in the Phasor Fields formulation (e.g. for non-parallel surfaces)

RSD-based kernel

amplitude phase

Example of RSD-based kernel to obtain the exact diffraction

$$\mathcal{R}(\mathbf{x}_k, f, \omega) = \frac{e^{-i2\pi\omega\sqrt{|\mathbf{x}_k|^2 + f^2}/c}}{\sqrt{|\mathbf{x}_k|^2 + f^2}}$$

$\mathcal{R}(\mathbf{x}_k, f, \omega) \in \mathbb{C}$ **16 bytes**

Our ZP-based kernel

A zone plate focus a wavefront using diffraction, using concentric rings of opaque and translucent.

$$\mathcal{R}(\mathbf{x}_k, f, \omega) = 2 \left(\frac{2}{\lambda} (\sqrt{|\mathbf{x}_k|^2 + f^2} - f) \bmod 2 \right) - 1$$

$\mathcal{R}(\mathbf{x}_k, f, \omega) \in \{-1, 1\}$ **1 byte**